```
not_over_and_b  THM

⊢  ¬A ∨ ¬B ⇒ ¬(A & B)  by UnivCD THEN (Analyze 0)
|
1. A : Prop
2. B : Prop
3. ¬A ∨ ¬B
4. A & B
⊢  False  by Analyze 3
END
```